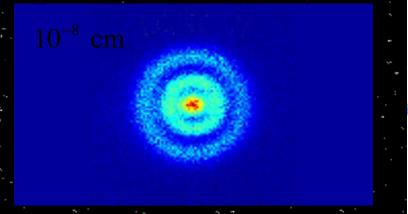


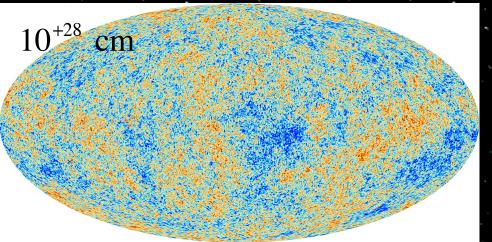
V. Mukhanov ASC, LMU, München

Quantum Universe

The efforts to understand the universe is one of the very few things that lifts human life a little above the level of farce...

S. Weinberg, 1977





$\Delta q \times \Delta p \ge \frac{1}{2} \hbar$

Before 1990

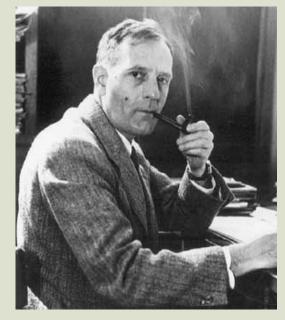


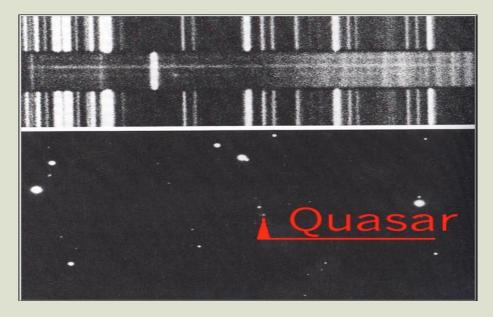






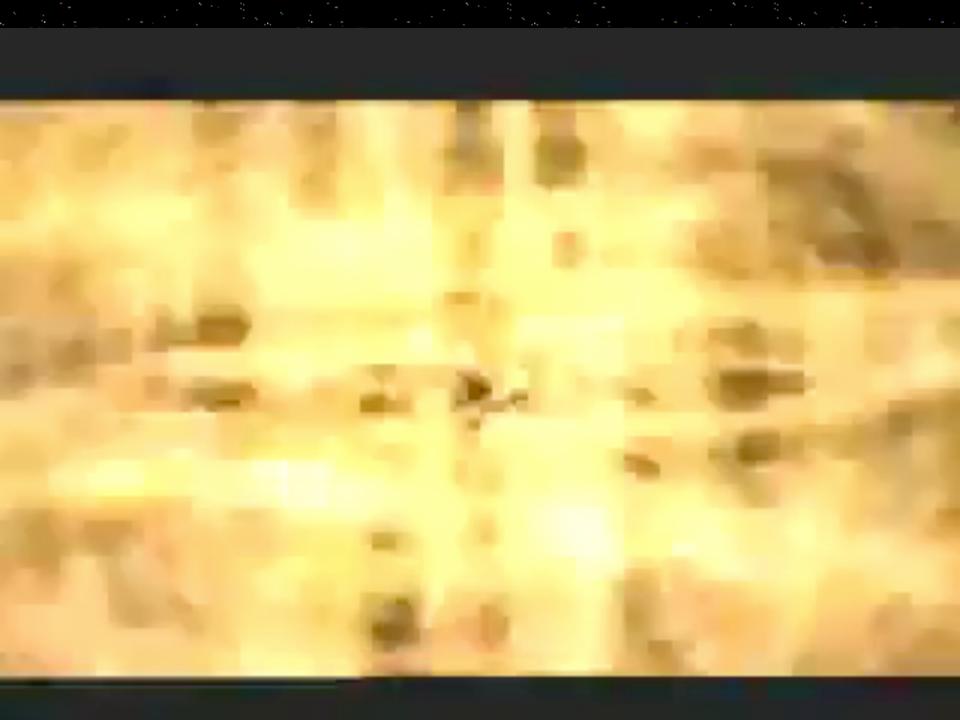
The Universe expands





•Hubble law

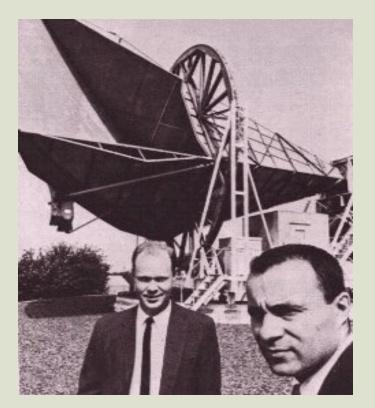




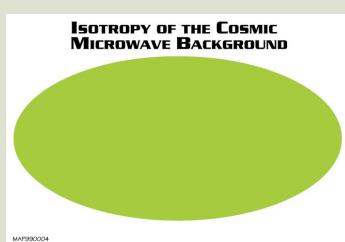
There is baryonic matter: about 25% of ⁴He, D....heavy elements

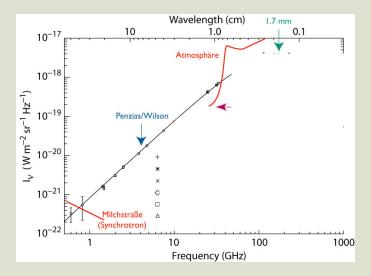
Dark Matter???? baryonic origin???

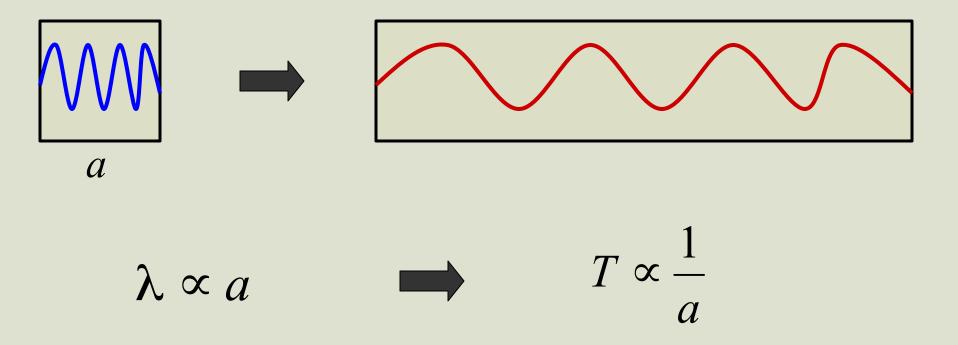
• There exists background radiation with the temperature $T \approx 3K$



Penzias, Wilson 1965



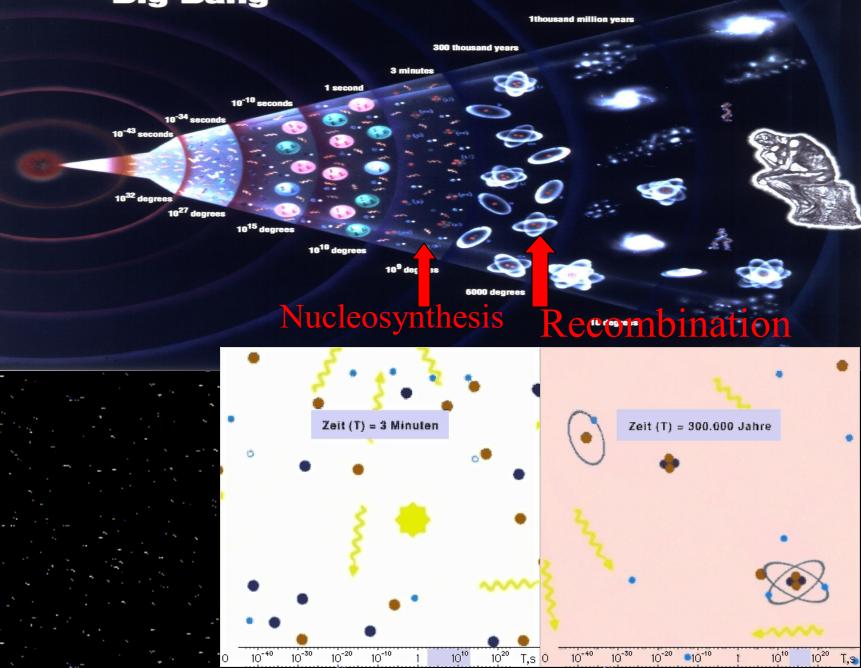


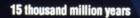


When the Universe was 1000 times smaller its temperature was about $2725^{\circ}K$

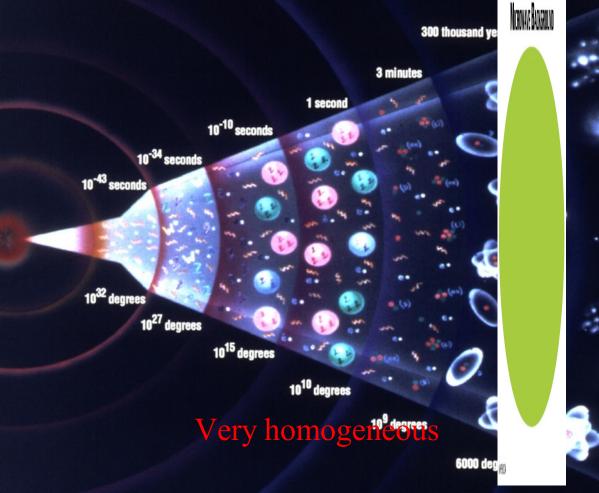
Big Bang

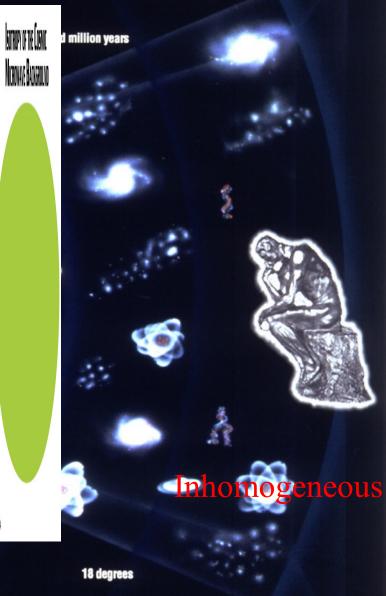
15 thousand million years



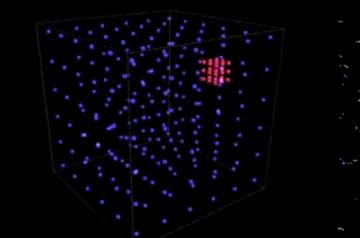


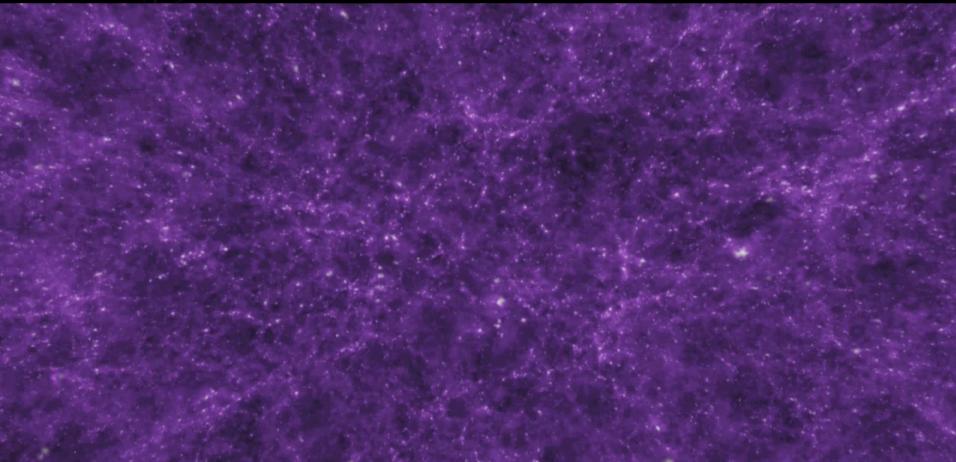




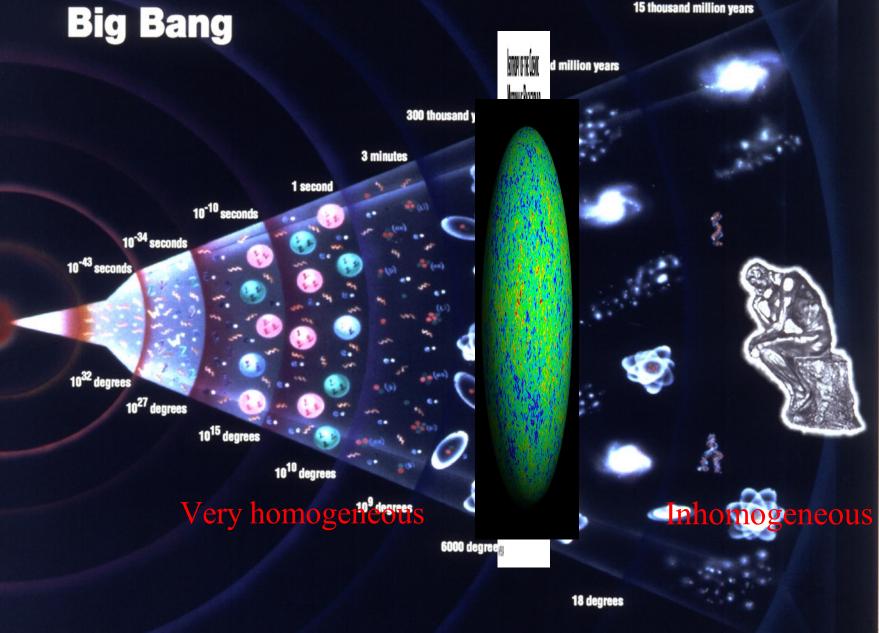


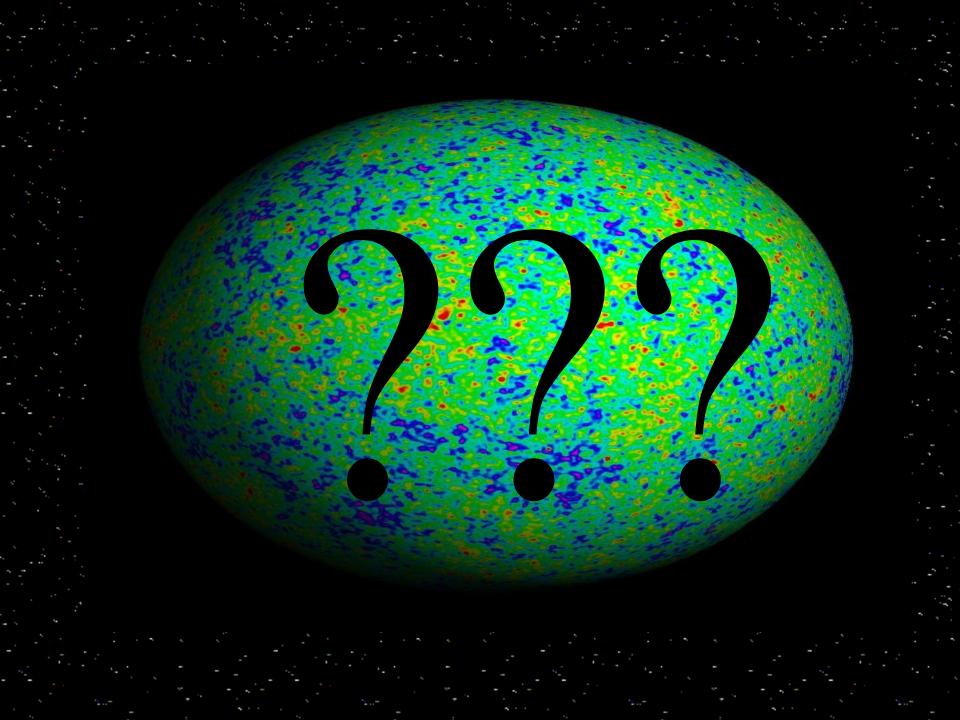
3 degrees K

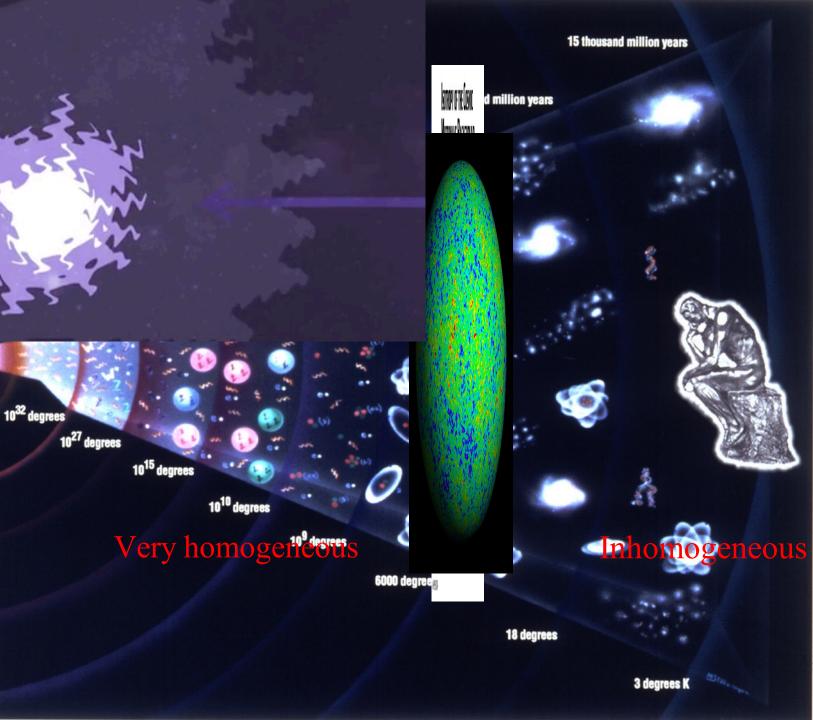


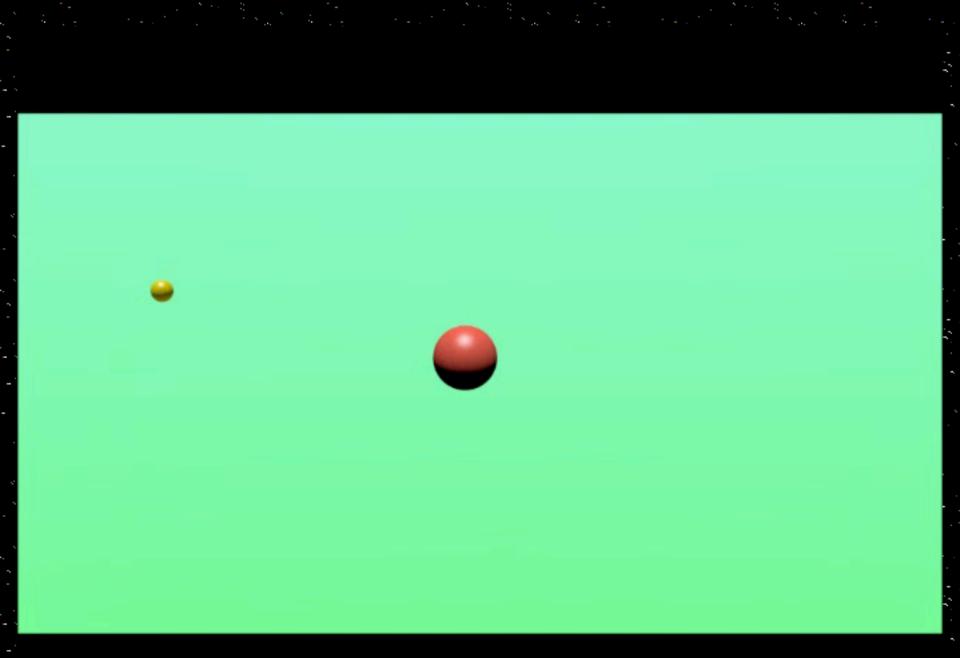


15 thousand million years

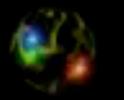














$\Delta x m \Delta v \geq \hbar$



There always exist unavoidable Quantum Fluctuations

 $\Delta p \Delta x \ge h$

Quantum fluctuations in the density distribution are large (10⁻⁵) only in extremely small scales (~10⁻³³ cm), but very small (~10⁻⁵⁸) on galactic scales (~10²⁵ cm) Can we transfer the large fluctuations from extremely small scales to large scales??? Chibisov, G. V. & Mukhanov, V. F., 1980. Lebedev Phys. Inst. Preprint No. 162. Mon. Not. R. astr. Soc. (1982) 200, 535-550

Galaxy formation and phonons

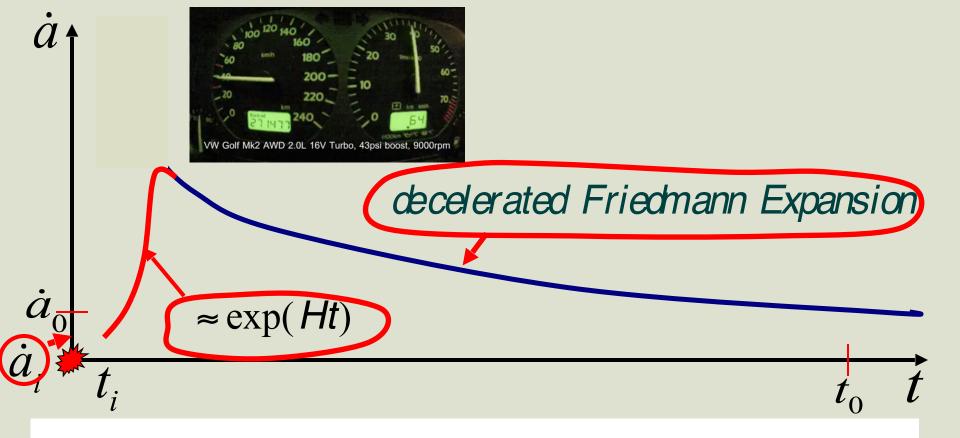
G. V. Chibisov and V. F. Mukhanov Theoretical Department of P. N. Lebedev Physical Institute, USSR Academy of Sciences, Leninsky Prospect, 53, Moscow 117934, USSR

Received 1981 November 25; in original form 1981 August 3

6.2 MODEL WITH A QUASI-VACUUM STAGE

The case when $\overline{p} + \epsilon \ll \epsilon$ is realized for the vacuum equation of state $\overline{p}_{\overline{v}} = -\epsilon_{\overline{v}}$ (see, e.g.,

Thus the calculations of this section clearly demonstrate the possibility in principle of obtaining the conditions for galaxy formation by means of the initial vacuum fluctuations.



ANNALS OF PHYSICS 115, 78-106 (1978)

The Creation of the Universe as a Quantum Phenomenon

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Received July 7, 1977

JETP Lett, Vol. 33, No.10, 20 May 1981

Quantum fluctuations and a nonsingular Universe

V.F.Mukhanov and G.V. Chibisov

P. N. Lebedev Physics Institute, Academy of sciences of the USSR

(Submitted 26 February 1981; 15 April 1981)

Pis'ma Zh. Eksp. Theor. Fiz. 33, No.10, 549-553 (20 May 1981)

Adopting a perturbation of the curvature scalar as a physical variable, we find the corresponding action in the form [6]

$$\delta S_b = \frac{1}{2} \int d^4x \left[\phi'^2 - \nabla^\alpha \phi \nabla_\alpha \phi + \left(\frac{a''}{a} + M^2 a^2 \right) \phi^2 \right], \quad (5)$$

where $\phi = 1/\sqrt{18 (4H^2 - M^2)} \ a\delta R/M\ell$, and $\ell = (8\pi G/3)^{1/2} = 4.37 \times 10^{-33} \ cm$ is the Planck length.

A finite duration of the de Sitter stage does not by itself rule out the possibility that this stage may exist as an intermediate stage in the evolution of the universe. An interesting question arises here: Might not perturbations of the metric , which would be sufficient for the formation of galaxies and galactic clusters, arise in this stage? To answer this question, we need to calculate the correlation function for the fluctuations of the metric after the universe goes from the de Sitter stage to the hydrodynamic stage. By analogy with (6) we find

$$\left\langle 0\left|\hat{h}\left(\mathbf{x}\right)\hat{h}\left(\mathbf{x}+\mathbf{r}\right)\right|0\right\rangle = \frac{1}{2\pi^{2}}\int Q^{2}\left(k\right)\frac{\sin kr}{kr}\frac{dk}{k},$$
(8)

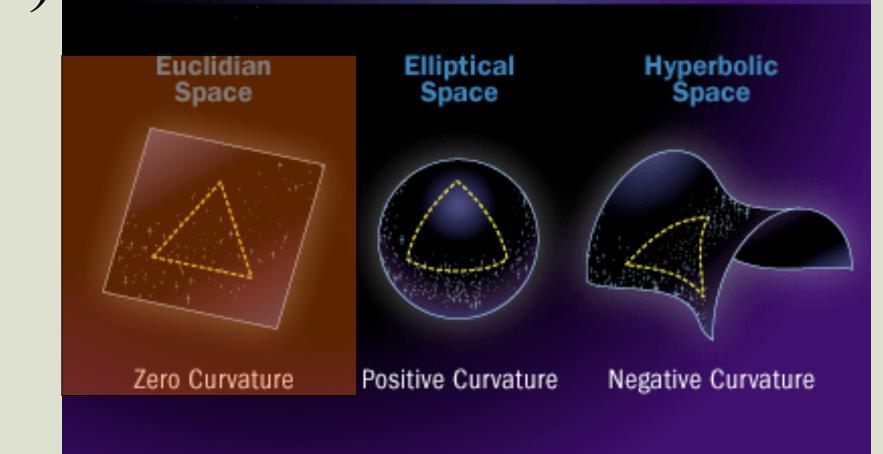
where $h = h_{\alpha}^{\alpha}$ and where, for the most interesting region, $H > k > H \exp(-3H^2/M^2)$ $(M^2 \ll H^2)$,

$$Q(k) \approx 3\ell M \left(1 + \frac{1}{2} \ln \frac{H}{k}\right).$$
 (9)

The fluctuation spectrum is thus nearly flat. The quantity Q(k) is the measure of the amplitude of perturbations with scale dimensions 1/k at the time the universe begins the ordinary Friedmann expansion. With $\ell M \sim 10^{-3} - 10^{-5}$ and $M/H \leq 0.1$ —these values are consistent with modern theories of elementary particles-the amplitude of the perturbations of the metric on the

Predictions!!!

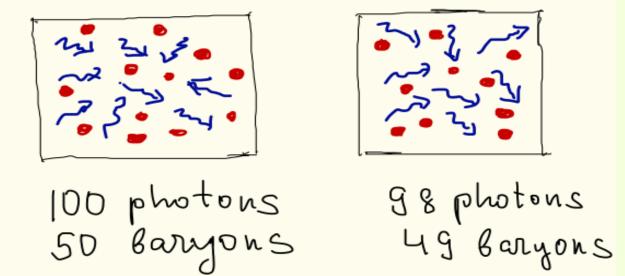
Does space have a shape? LD © 2008 HowStuffWorks



$\Omega = 1$

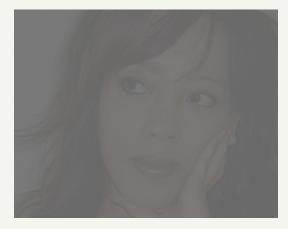
Perturbations (inhomogeneities) are:

2) Adiabatic (MC 1981)



3) Gaussian (MC 1981)

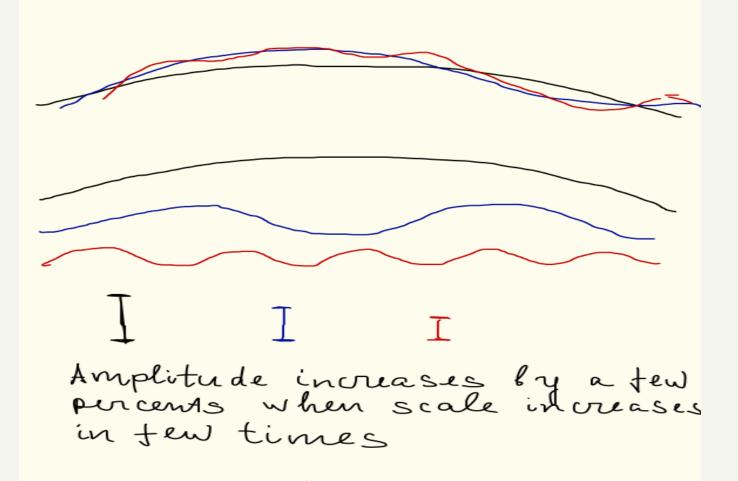






$$\Phi = \Phi_g + f_{NL} \Phi_g^2$$
, where $f_{NL} = O(1)$ (MC, 81)

4) have log spectrum (MC 1981)



4) $\Phi \propto \ln (\lambda/\lambda_{\gamma}) \propto \lambda^{1-n_s}$ with $n_s = 0.96$ (MC, 1981)

L.P. 9/6/2003:

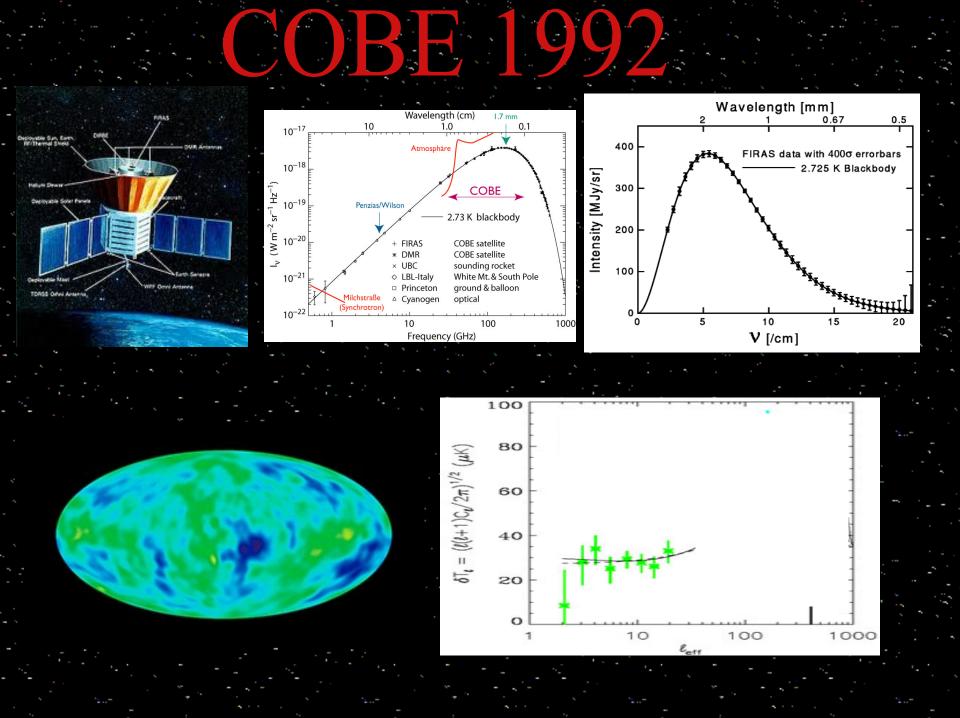
We are writing a proposal to get money to do our small angular scale CMB experiment. If I say that simple models of inflation require $n_s=0.95+/-0.03$ (95\% cl) is it correct?

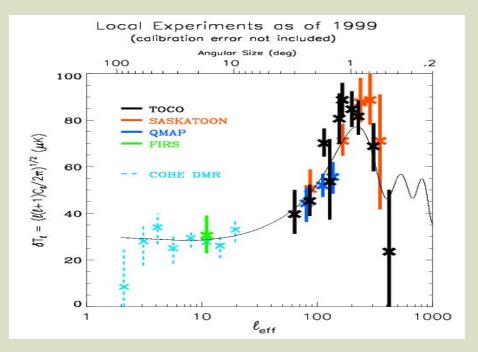
I'm especially interested in the error. Specifically, if n_s=0.99 would you throw in the towel on inflation?

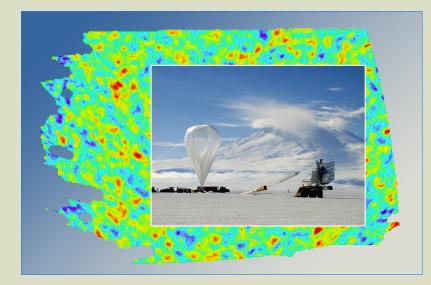
V.M. 9/8/2003

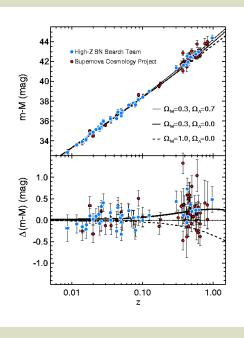
The "robust" estimate for spectral index for inflation is $0.92 < n_s < 0.97$. The upper bound is more robust than lower. The physical reason for the deviation of spectrum from the flat one is the nessesity to finish inflation.... If you find $n_s=0.99 + 0.01$ (3 sigma) I would throw in the towel on inflation.

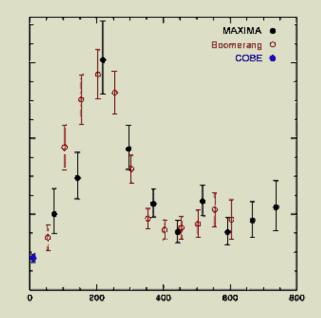
After 90 - present

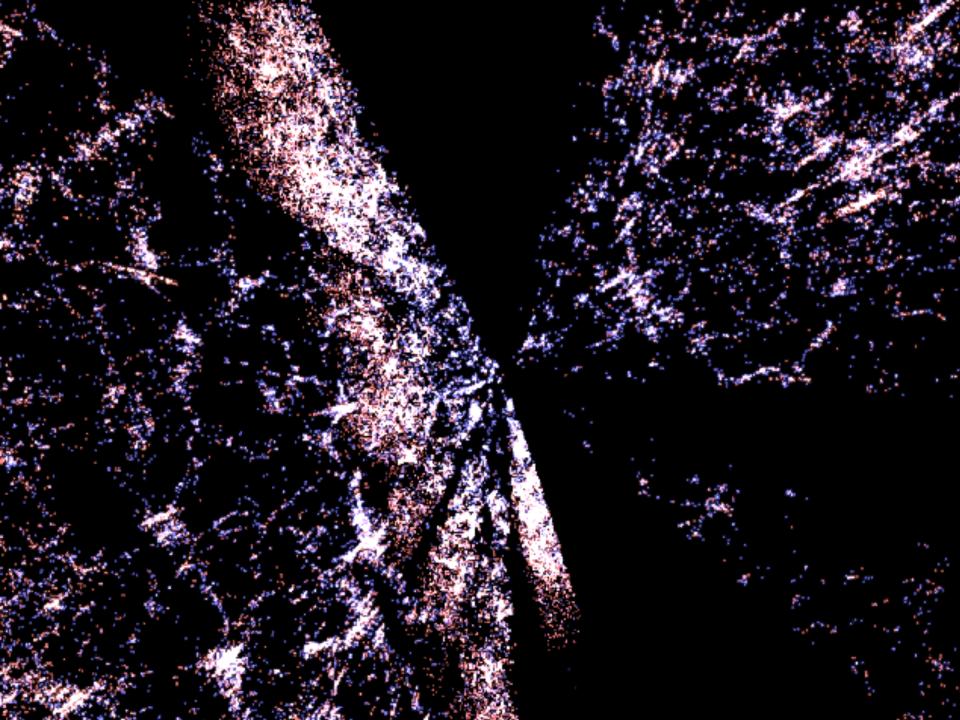


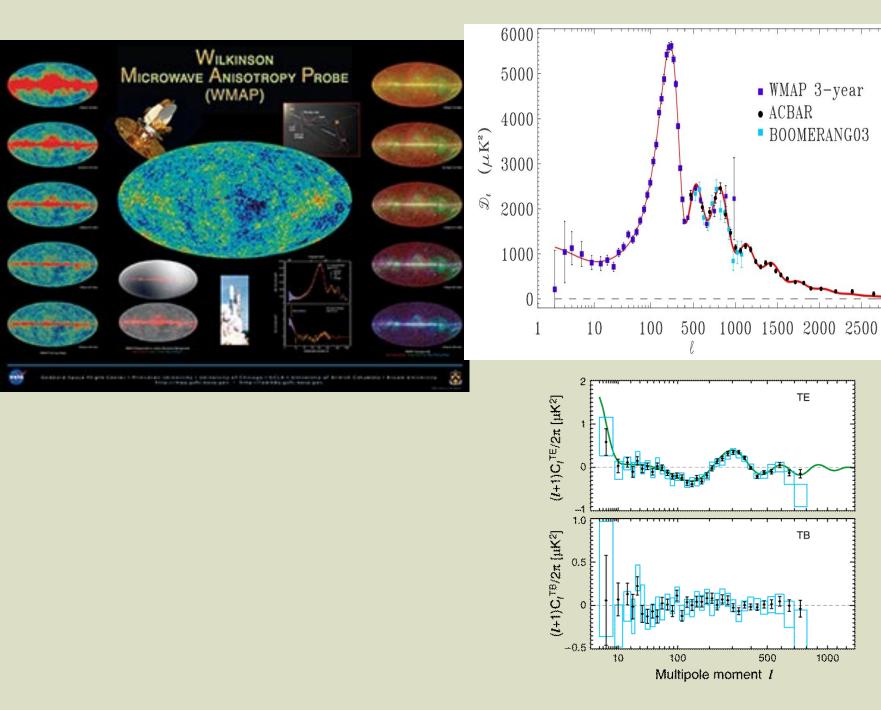


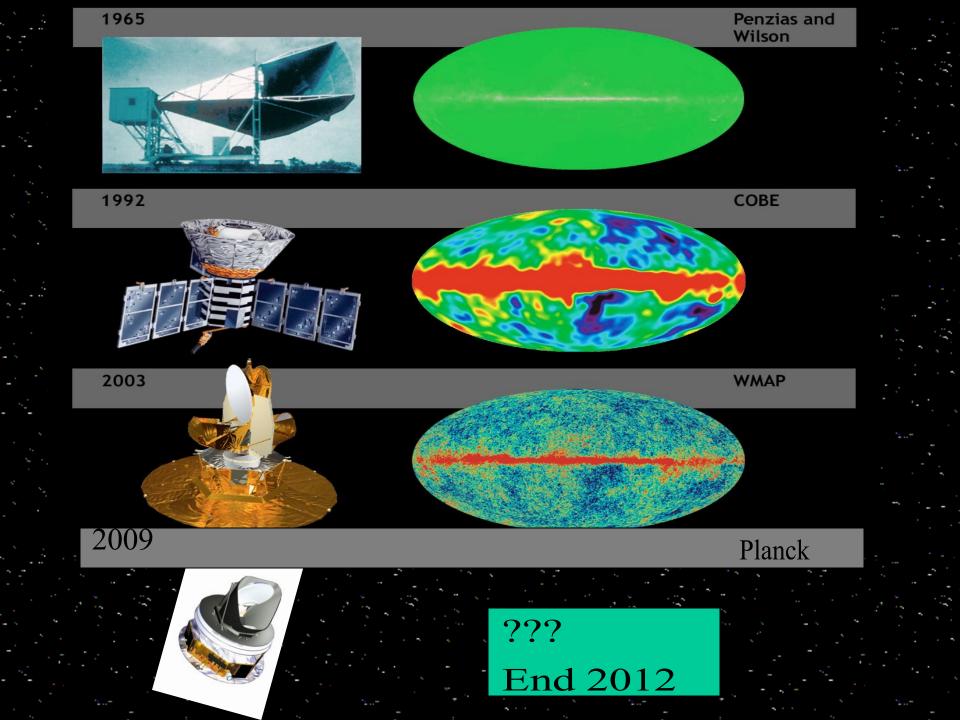


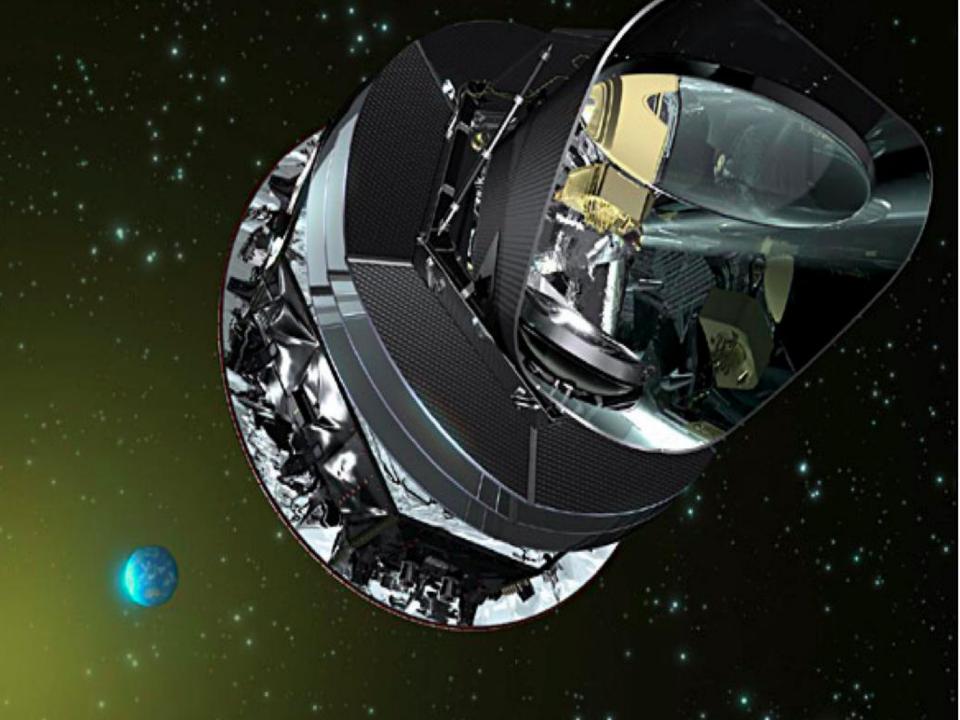






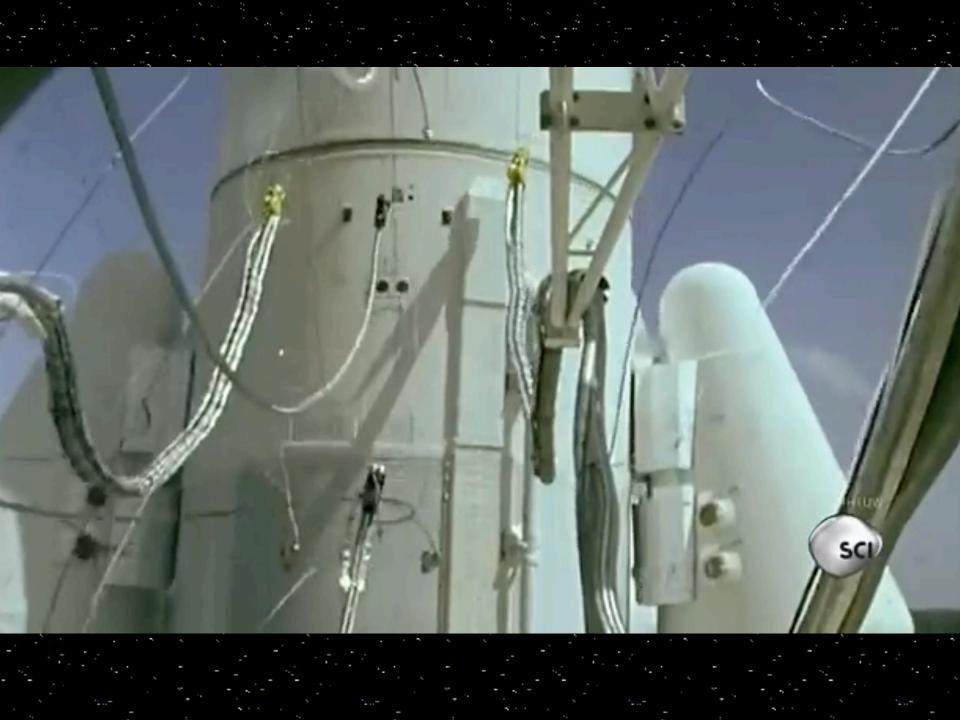


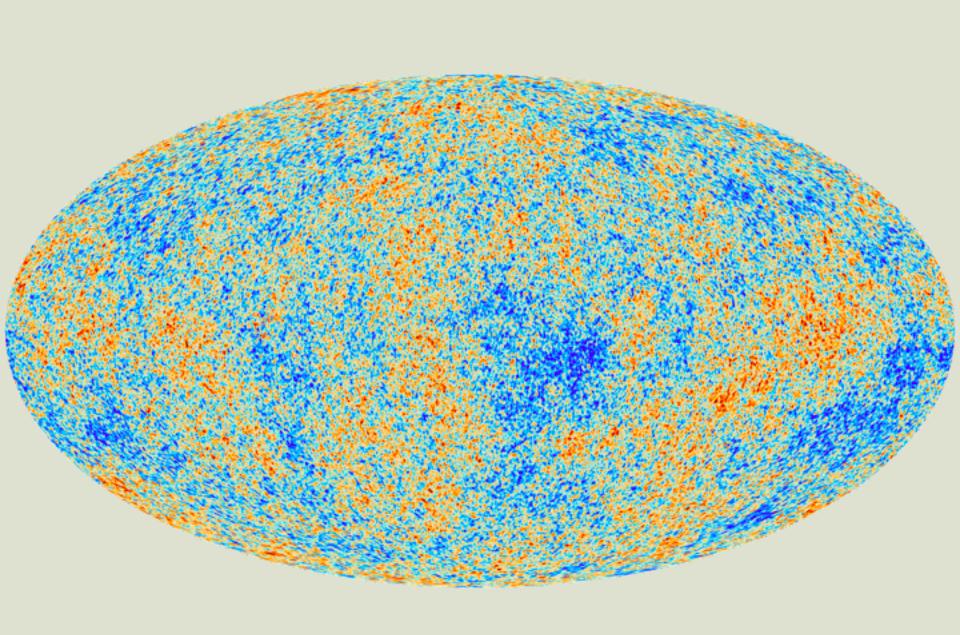


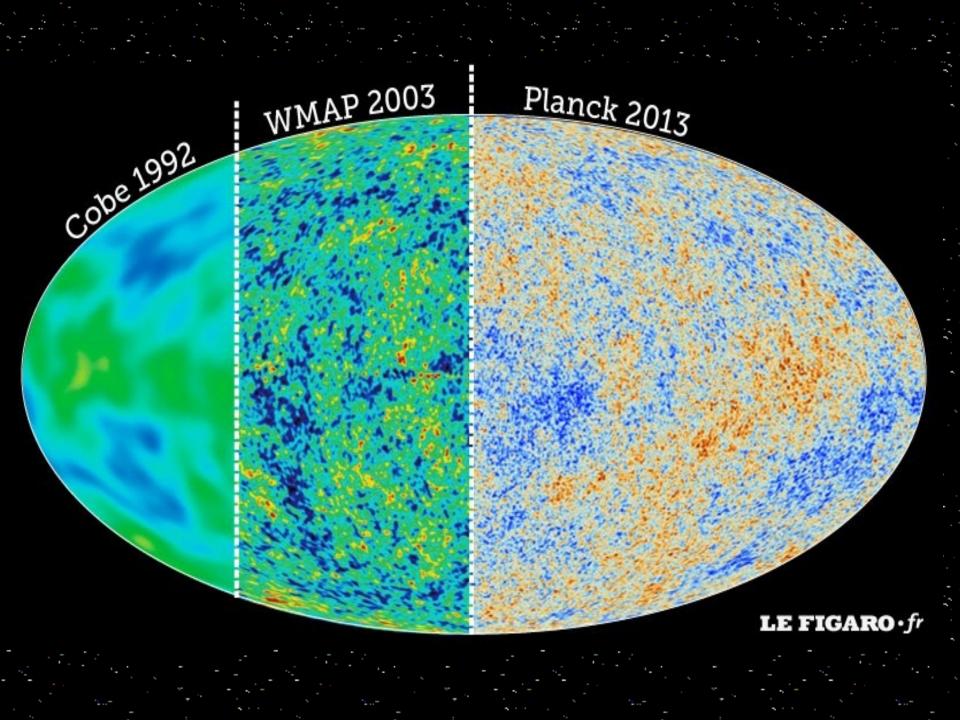


the Planck Collaboration, including individuals from more than 100 scientific institutes in Europe, the USA and Canada





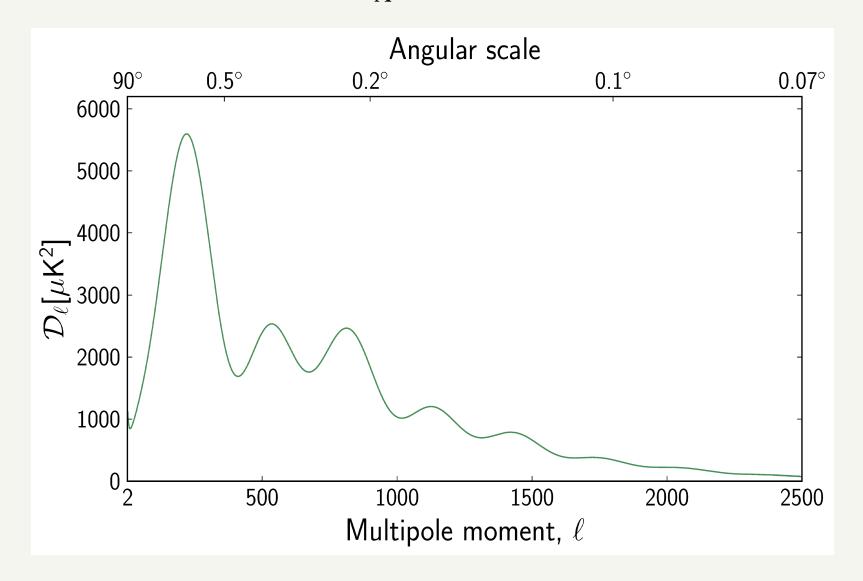


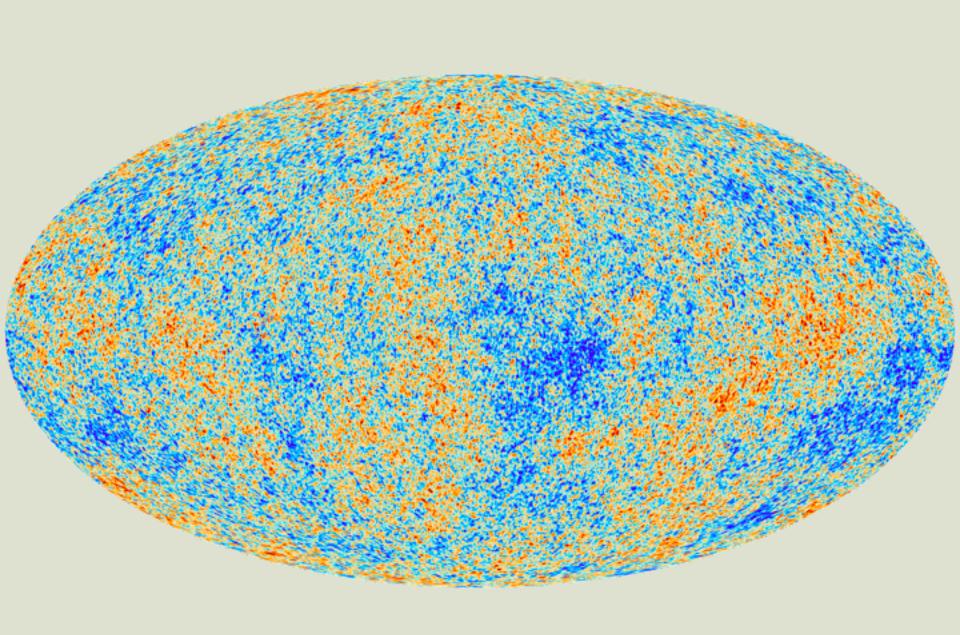


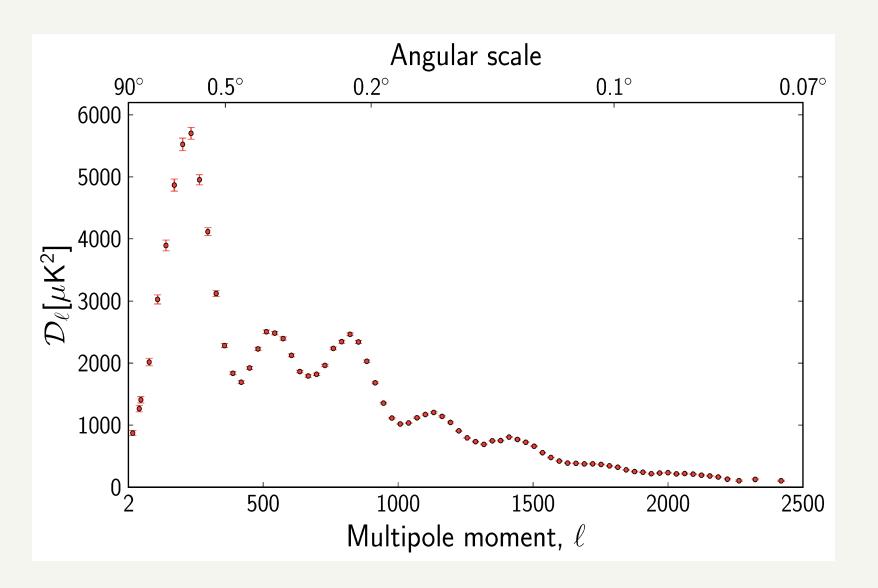
PREDICTIONS

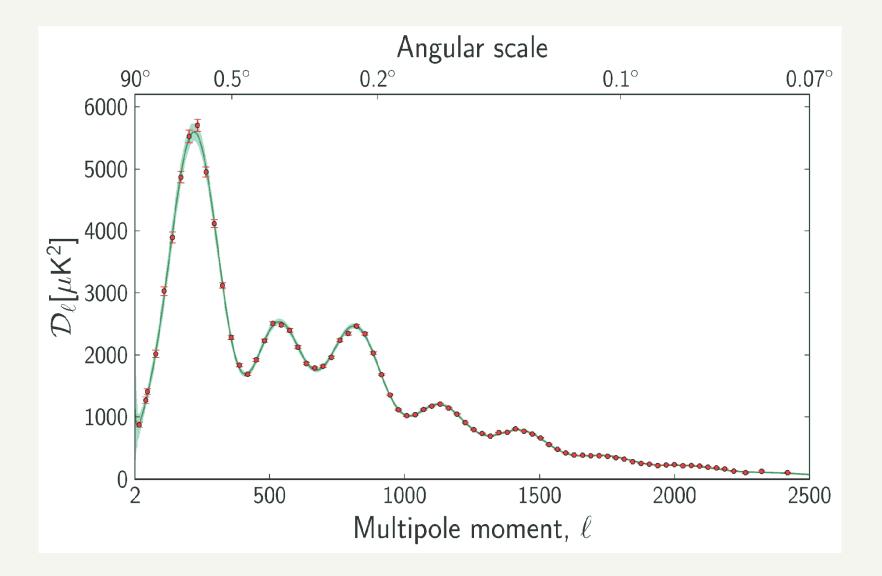
- 1) flat Universe
- Perturbations are :
- 2) adiabatic (MC, 81)
- 3) gaussian: $\Phi = \Phi_g + f_{NL} \Phi_g^2$, where $f_{NL} = O(1)$ (MC, 81)
- 4) spectrum: $\Phi \propto \ln (\lambda/\lambda_{\gamma}) \propto \lambda^{1-n_s}$ with $n_s = 0.96$ (MC, 81)

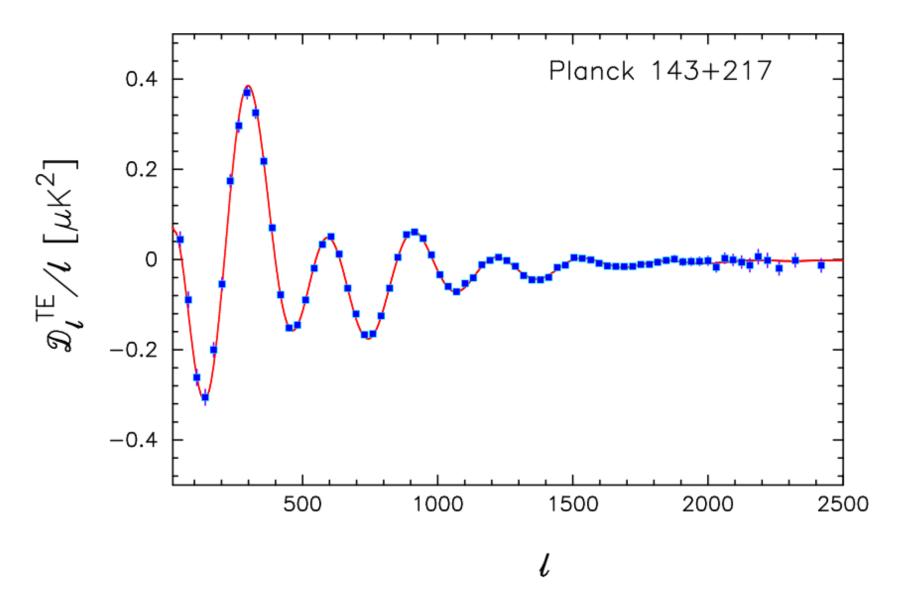
with $\Omega_{tot} = 1$ (prediction) and H_0 , Ω_{Λ} , Ω_{bar} from supernova, deuterium et.cet. we get

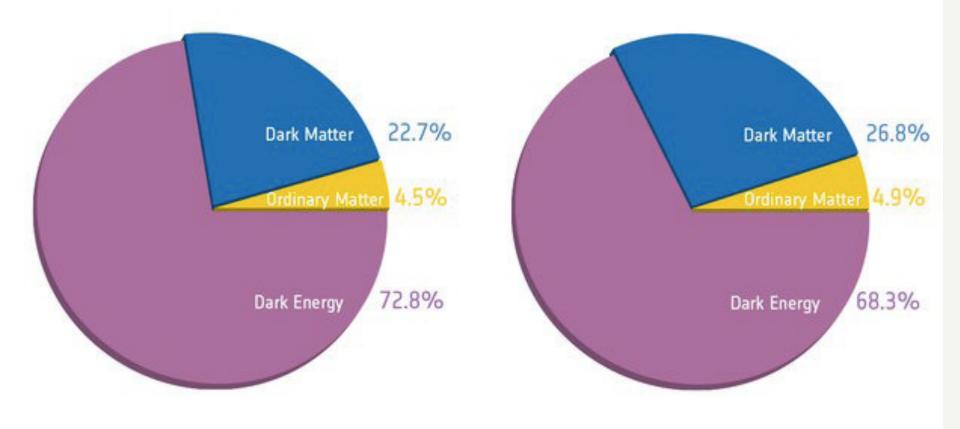












Before Planck

After Planck

 $-\Omega_{tot} = 1 \pm 0.0066$

-adiabatic pert.!!!, less than 1% from cosmic strings, entropy et.cet. -gaussian: $f_{NL} = 2.5 \pm 5.8$ $-n_s=0.9585 \pm 0.0070$

CONCLUSIONS

-General Relativity is valid up to the scales 10^{-27} cm -We all originated from quantum fluctuations